

## Hyperboloid



A hyperboloid is a solid or surface having plane sections that are hyperbolas, ellipses, or circles. A hyperbola is a symmetrical open curve formed by the intersection of a circular cone with a plane at a smaller angle with its axis than the side of the cone – but never mind, just look at the pictures.

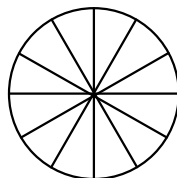
The form in this context is that of cylinders with gracefully blending curves. The application I have in mind for this is that of an aesthetically pleasing structural element with a high strength-to-weight ratio.

$$2 + \sin 60/4 = 2.217$$

$$2 + \sin 30/4 = 2.125$$

$$2 - \sin 30/4 = 1.875$$

$$2 - \sin 60/4 = 1.783$$

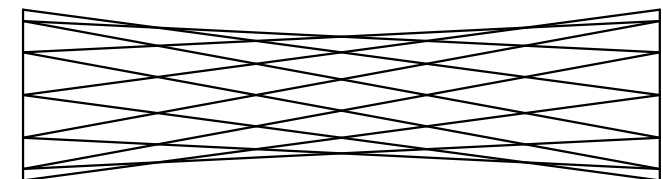


$$2 + \sin 60/2 = 2.433$$

$$2 + \sin 30/2 = 2.25$$

$$2 - \sin 30/2 = 1.75$$

$$2 - \sin 60/2 = 1.567$$



24 pieces @ 8' = 192'  
24 pieces @ 6' = 144'

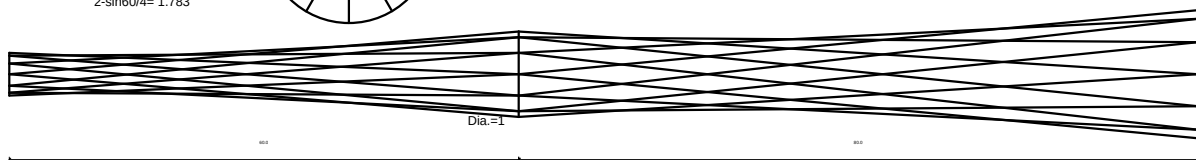
$$\sin 60 \cdot 75 + 2 = 2.649$$

$$\sin 30 \cdot 75 + 2 = 2.375$$

$$1 - \sin 30 \cdot 75 = .625$$

$$1 - \sin 60 \cdot 75 = .350$$

336'



## Fun With a Hyperboloid

For some reason (I don't recall why at the moment) I made a hyperboloid out of 9-gauge wire. It's attached to a base 24" across, for a total height of about 7-1/2 feet. It may be interesting to note that there are no curved wires in any of these structures.

I thought it might be fun to combine it with a couple of other things that are equally useless by themselves.

When topped by a three foot diameter geodesic sphere we have a golf tee.

Add a two meter diameter parabolic dome, and we have a mushroom.



Invert the dome, and we are looking at a chalice.



And so I continue, to solve problems nobody has, and answer questions nobody is asking.